

Intensity-dependent temporal laser pulse shaping and propagation in ZnSe

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Abstract

The shape of a 40-ps 1064-nm laser pulse propagating through ZnSe at different intensities was investigated using a single-shot optical Kerr gate. At high intensity $\sim 3.65 \text{ GW/cm}^2$, the pulse peak moves forward in time by about 15 ps from the position at low intensity and the full width at half maximum reduces from 40 to 27 ps. This pulse advancement and time shortening are attributed to a combination of two-step absorption and negative nonlinear dispersion. The numerically simulated results based on these two processes are in good agreement with the experimental results. © 2002 Published by Elsevier Science B.V.

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II–VI semiconductors are important materials for many photonic applications. ZnSe has excellent physical, chemical and nonlinear optical properties as well as low absorption spanning from the red to the infrared. Consequently, it is thought of as one of the most promising optical materials for many practical optical functions such as Tera hertz generation, optical limiting, all-optical switching, displays and optical memory elements [1–6]. An anomalous spectral broadening has been observed in ZnSe, larger for Stokes than anti-Stokes [7].

In this paper, the intensity-dependent reshaping of a 40 ps laser pulse through a ZnSe plate was investigated using an improved single-shot optical Kerr gate. Based upon a two-step absorption with negative nonlinear dispersion model, the experimental results were simulated.

The schematic arrangement for a single-shot optical Kerr gate (SOKG) technique is shown in Fig. 1. A mode-locked Nd:YAG laser was used to generate 1064 nm and 532 nm pulse of 40 and 30 ps, respectively. The 30-ps 532-nm probe pulse was passed onto a $\sim 90^\circ$ blazed reflection grating to be transformed into an oblique temporal front converting a 200 ps temporal window. A lens was used to focus the probe beam into a 1 mm long CS₂ Kerr cell to form an extended probing time base.

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three different peak-power-densities: 0.365, 1.46 and 3.65 GW/cm² are displayed in Fig. 2. Intensity-dependent pulse shaping was observed. The salient features shown in Fig. 2 are pulse advancement and temporal pulse width shortening at high intensity. From 0.365 to 1.46 GW/cm², there was no profile distortion. From 1.46 to 3.65 GW/cm², the trailing portion of the original profile almost completely disappeared. In addition, (at 3.65 GW/cm²) the profile peak moved forward ~15 ps and the FWHM was reduced to ~27 ps.

A 3 mm glass plate was used as a reference transparent optical material with a small $\chi^{(3)}$ nonlinearity. The measured temporal profiles for incident pulse with similar peak-power-densities are shown in the upper left inset of Fig. 2. These profiles seem to coincide without any pulse peak-shift and pulse compression. It shows good alignment of the experimental setup and good stability

of the laser system. Using a 1 mm CS₂ cell instead of the ZnSe sample, changes in the measured profile were observed without pulse shaping. These changes originated from the self-focusing caused by the nonlinearity in CS₂. The observations in ZnSe imply that the pulse shaping does not only depend on the Kerr nonlinearity.

Typically, the nonlinear absorption of the 1064 nm laser by a pure ZnSe sample occurs by three-photon absorption because of its large band-gap energy of ~2.68 eV ($\lambda = 460$ nm). However, for the ZnSe sample used in this experiment, a commercial amorphous window, the transmission spectrum of this 3 mm thick ZnSe sample measured by a Perkin-Elmer Lambda 9 spectrometer is shown in the upper right inset of Fig. 2. Due to the large interface reflections of ZnSe, the measured transmissivities at 532 and 1064 nm are 52.85% and 67.31%, respectively. Taking into account the influence of surface reflection of ZnSe,

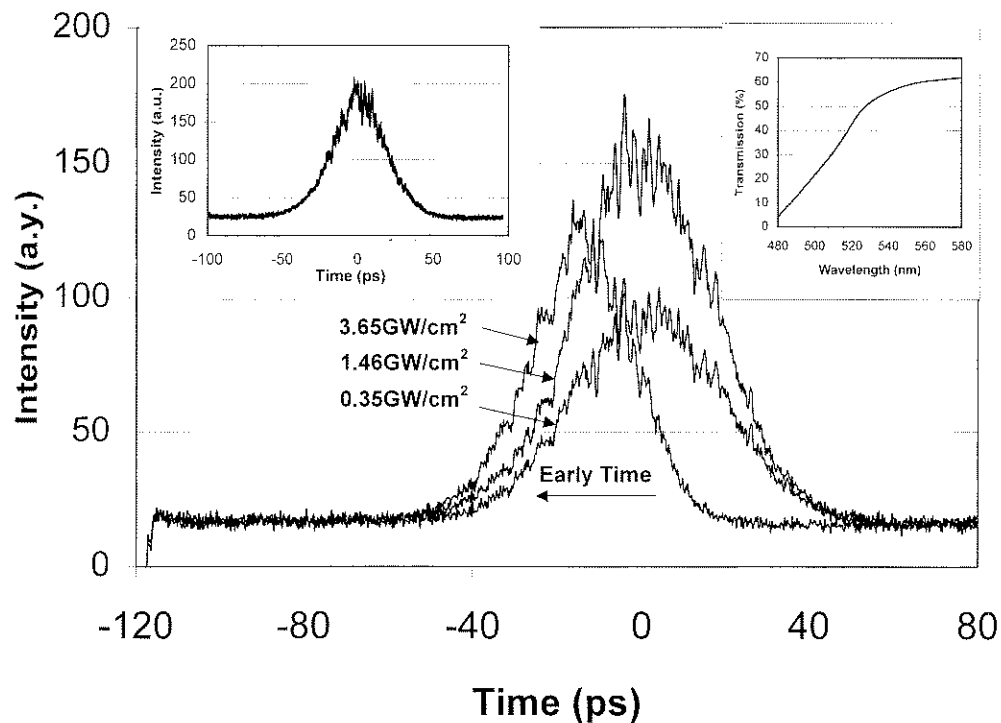


Fig. 2. Single-shot OKG temporal profiles of a 40-ps 1064-nm pulse passing through a 3 mm ZnSe plate when the peak intensity of the incident pulse reaches 0.365, 1.4, and 3.65 GW/cm². Upper left inset. Single-shot OKG temporal profiles of a 40-ps 1064-nm pulse passing through 3 mm glass at intensities 0.365, 1.46, and 3.65 GW/cm². Upper right inset. The transmissivity of a 3 mm ZnSe plate without coating as a function of wavelength.

the transmission at 532 nm is $\sim 10\%$, while the absorption at 1064 nm is almost 0%. Since a strong absorption exists at 532 nm near the turning point of the transmission curve, two-photon absorption of 1064 nm in this ZnSe window sample is expected from tailing states.

For an incident pulse with the peak-power-intensity of 3.65 GW/cm^2 , the instantaneous transmitted intensity of a single pulse with this incident intensity is shown in Fig. 3. This curve shows the difference in the output profile with intensity at different times with the pulse window. The transmission is the two-valued function of intensity. It indicates an operative complex nonlinear process. The transmission of the early leading part of the incident pulse is linear at the intensity level lower than 1.5 GW/cm^2 . As the time of the intensity increases to the peak value, the transmitted intensity decreases and the trailing part of the pulse almost disappeared. Therefore, the nonlinear absorption of the 1064 nm laser pulse through ZnSe is not simple two-/three-photon absorption because the nonlinear absorption not only depends on intensity but also depends on time. The observed pulse shortening cannot be interpreted by a simple two-/three-photon absorption because two-/three-photon absorption at the center of pulse is large than at the wings causing a time broadening.

The intensity-dependent peak-shift of the laser pulse through ZnSe is attributed to intensity-

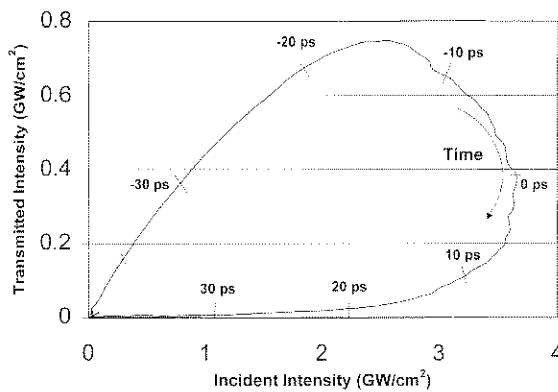


Fig. 3. The transmitted hysteresis of a single 1064 nm laser pulse through a 3 mm thick ZnSe plate at the peak intensity of an incident pulse of 3.65 GW/cm^2 .

dependent group-velocity. Using the expression for the intensity-dependent group-velocity [10], the measured peak-shift of $\Delta\tau = -15 \text{ ps}$, and the known Kerr nonlinearity [4], $n_2(1064 \text{ nm}) = 170 \times 10^{-9} \text{ esu}$, the nonlinear dispersion can be calculated to be $\partial n_2/\partial\omega \approx -1.53 \times 10^{-29} \text{ m}^2 \text{ s/W}$.

To explain the two salient features observed at high pulse energy: pulse advancement and pulse shortening, we present a model based on two-step absorption with negative nonlinear dispersion. The energy level diagram of two-step absorption is illustrated in the inset of Fig. 4. Negative nonlinear dispersion results in the advancement and the leading edge steepening of the propagating pulse because the intensity-dependent group-velocity depends on nonlinearity and nonlinear dispersion [10]. The two-step process includes the single-photon absorption from a metastable state (one of gap states) which was populated by two-photon excitation. In this manner, two-step absorption results in the reduction of trailing portion of the propagating pulse because the linear absorption

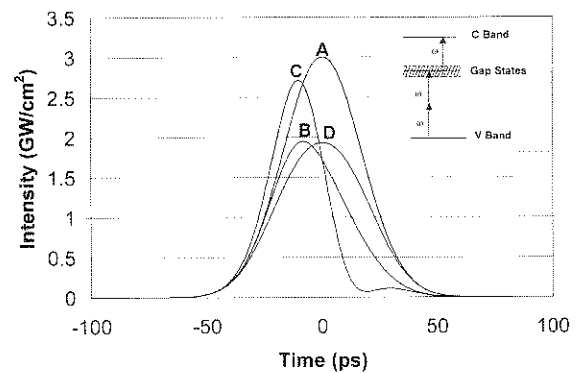


Fig. 4. Theoretical calculations: Curve A is the incident pulse with the Gaussian profile; curve B is the transmitted pulse after two-step absorption without nonlinear dispersion where $\sigma_{01}^{(2)}\sigma_{12}^{(1)}N = 4 \times 10^{-12} \text{ m}^2/\text{s/W}^2$ ($\sigma_{01}^{(2)}$ is the cross-section of two-photon absorption, $\sigma_{12}^{(1)}$ is the cross-section of gap states absorption and N is the occupation-number density); curve C is the transmitted pulse after two-step absorption with nonlinear dispersion where $\delta_{01}^{(2)}N = -3.8 \times 10^{-21} \text{ sm/W}$ ($\delta_{01}^{(2)}$ is the additional nonlinear dispersion coefficient due to two-photon absorption); and curve D is the transmitted pulse after pure three-photon absorption where the coefficient of three-photon absorption, $\gamma = 4.6 \times 10^{-14} \text{ m}^3/\text{W}^2$. Inset. The energy level diagram of two-step absorption, two-photon absorption between valence band gap states and the delayed single-photon absorption from gap states to conduction band.

relies on the population in the metastable state excited by two-photon absorption from the leading edge photons [11]. The leading edge steepening and the reduction of the trailing portion of propagating pulse combine to produce the pulse shortening.

The effects arising from two-step absorption with negative nonlinear dispersion can be described by the following rate equations:

$$\frac{\partial}{\partial \tau} N_0 = -\frac{1}{2} \sigma_{01}^{(2)} (N_0 - N_1) I^2 + \frac{1}{T_{10}} N_1 + \frac{1}{T_{20}} N_2, \quad (1)$$

$$\begin{aligned} \frac{\partial}{\partial \tau} N_1 = & \frac{1}{2} \sigma_{01}^{(2)} (N_0 - N_1) I^2 - \frac{1}{T_{10}} N_1 \\ & - \sigma_{12}^{(1)} (N_1 - N_2) I + \frac{1}{T_{21}} N_2, \end{aligned} \quad (2)$$

$$\frac{\partial}{\partial \tau} N_2 = \sigma_{12}^{(1)} (N_1 - N_2) I - \frac{1}{T_{21}} N_2 - \frac{1}{T_{20}} N_2, \quad (3)$$

$$\begin{aligned} \frac{\partial}{\partial \xi} I = & -\sigma_{01}^{(2)} (N_0 - N_1) I^2 - \sigma_{12}^{(1)} (N_1 - N_2) I \\ & - \delta_{01}^{(2)} (N_0 - N_1) I \frac{\partial}{\partial \tau} I \\ & - \delta_{12}^{(1)} (N_1 - N_2) \frac{\partial}{\partial \tau} I, \end{aligned} \quad (4)$$

where the total occupation-number density is constant, $N = N_0 + N_1 + N_2$, and N_0 , N_1 and N_2 are the occupational-number densities of the valence band, the gap states and the conduction band, respectively, I is the intensity of laser pulse, $\sigma_{01}^{(2)}$ is the cross-section of two-photon absorption, $\sigma_{12}^{(1)}$ is the cross-section of the gap states absorption, $\delta_{01}^{(2)}$ is the additional nonlinear dispersion coefficient due to two-photon absorption, $\delta_{12}^{(1)}$ is the additional linear dispersion coefficient due to gap states absorption, $\tau = t - z/v_g$ notes the retarded time, v_g is the group-velocity without absorption, $\xi = z$ notes a coordinate in the moving frame, T_{10} is the lifetime of gap states, T_{20} and T_{21} are the lifetimes of the conduction band relative to the valence band and gap states, t is the time, z is the distance. According to the conditions and approaches of Herrman et al. [11] reduces into

$$\frac{\partial}{\partial \tau} N_1 = \frac{1}{2} \sigma_{01}^{(2)} N I^2 - \frac{1}{T_{10}} N_1, \quad (5)$$

$$\begin{aligned} \frac{\partial}{\partial \xi} I = & -\sigma_{12}^{(1)} (N_1 - N_2) I - \delta_{01}^{(2)} (N_0 - N_1) I \frac{\partial}{\partial \tau} I \\ & - \delta_{12}^{(1)} (N_1 - N_2) \frac{\partial}{\partial \tau} I. \end{aligned} \quad (6)$$

For the ZnSe plate used in our experiment, the second term in the right-hand side of Eq. (5) and the third term in the right-hand side of Eq. (6) can be neglected because the lifetime of gap states is much longer than the width of incident pulse and the linear dispersion corresponding to the wide band absorption of gap states is small. Without nonlinear dispersion, the solution of Eqs. (5) and (6) is [11]

$$I(\xi, \tau) = \frac{I(0, \tau)}{1 + \frac{1}{2} \sigma_{01}^{(2)} \sigma_{12}^{(1)} N \xi \int_{-\infty}^{\tau} d\tau' I^2(0, \tau')}. \quad (7)$$

In an increment $\Delta\xi$, the two-step absorption process with negative nonlinear dispersion can be approximately divided into two independent processes: absorption process and dispersion process. In the absorption process, the effect of negative nonlinear dispersion is neglected

$$I'(\xi + \Delta\xi, \tau) \approx \frac{I(\xi, \tau)}{1 + \frac{1}{2} \sigma_{01}^{(2)} \sigma_{12}^{(1)} N \Delta\xi \int_{-\infty}^{\tau} d\tau' I^2(\xi, \tau')}. \quad (8)$$

In the dispersion process, the effect of two-step absorption is neglected

$$I(\xi + \Delta\xi, \tau) \approx I(\xi, \tau) - \frac{1}{2} \delta_{01}^{(2)} N \Delta\xi \frac{\partial}{\partial \tau} [I'(\xi + \Delta\xi, \tau)]^2. \quad (9)$$

Using the parameters: $\sigma_{01}^{(2)} \sigma_{12}^{(1)} N = 4 \times 10^{-12}$ m/s/W² and $\delta_{01}^{(2)} N = -3.8 \times 10^{-21}$ sm/W, and Eqs. (8) and (9), the transmitted pulse profiles were numerically simulated. The reshaping of the laser pulse profile upon passing through the ZnSe plate are shown in Fig. 4 for different conditions. Curve A is the incident pulse with the Gaussian profile; curve B is the transmitted pulse after two-step absorption without nonlinear dispersion; curve C is the transmitted pulse after two-step absorption with nonlinear dispersion. For contrast, curve D shows the transmitted pulse after pure three-photon absorption. It is clear that curve C posses the same salient features of the experimental profile at high intensity.

The time advancement and temporal narrowing of the picosecond pulse passing through ZnSe have been observed using our developed single-shot Kerr gate technique at the incident pulse

peak intensity of 3.65 GW/cm^2 in a ZnSe plate. The negative nonlinear dispersion was obtained based on the intensity-dependent peak-shift of the propagating pulse. Time-dependent transmission of a 1064 nm laser pulse through ZnSe shows that the nonlinear absorption in ZnSe at 1064 nm is not simply three-photon absorption process. Based on the model of two-step absorption with negative nonlinear dispersion, the main feature of the experimental results have been described.

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